Instructions. Read the Homework Guide to make sure you understand how to successfully complete the assignment. All claims must be sufficiently justified.

Exercise 1. Complete the following exercises from Section 5.4 in the course textbook:

9, 14, 37(a,b)

Exercise 2. Complete the following exercises from Section 6.5 in the course textbook:

1, 3, 4, 5 (all except g.), 6, 8, ***12**, ******15, 17, ***18**

*Exercise 3. Let *H* be a subgroup of a group *G*. Fix $g \in G$, and define $\varphi_g \colon H \to gH$ by $\varphi_g(h) = gh$. Prove that φ_g is a bijection.

****Exercise 4.** Prove that the symmetry group of the unit cube is S_4 (Hint: record how the elements permute the 4 interior diagonals of the cube.)

****Exercise 5.** Prove that the symmetry group (or *automorphism group*) of the Petersen graph is S_5 (see Wikipedia for definition of Petersen graph).